

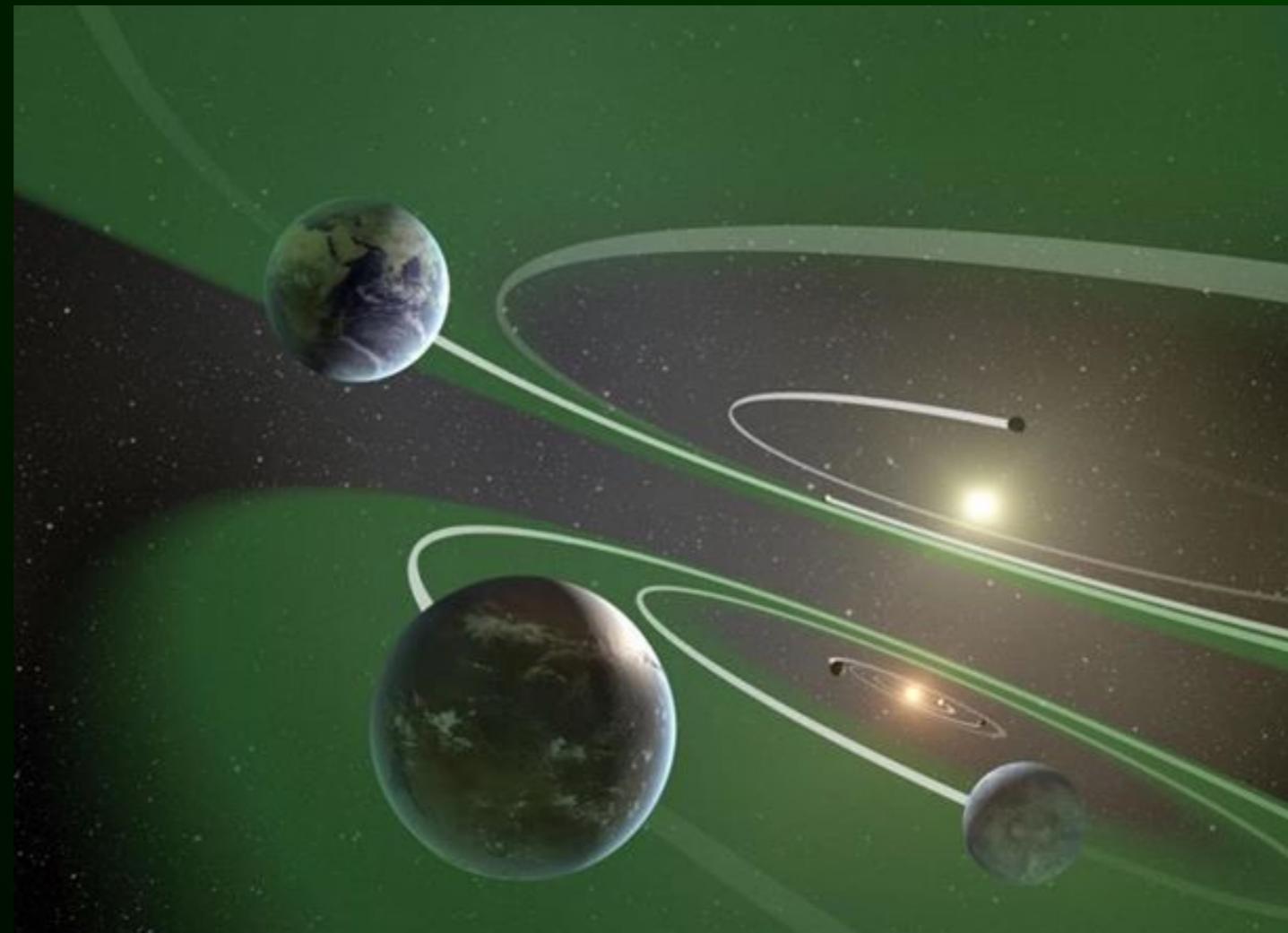
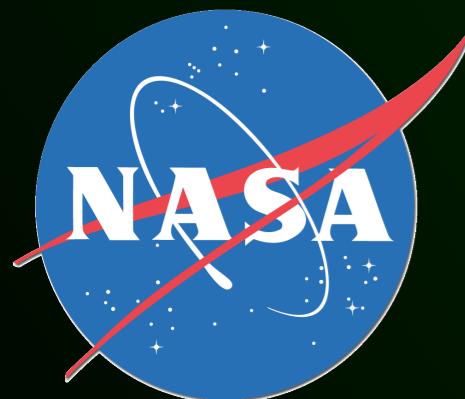
Exoplanet Dynamics: What we know from Kepler



Eric Agol



Friends of KITP, 17 March 2015



Thanks to Vikki
Meadows, Josh Winn
for slides

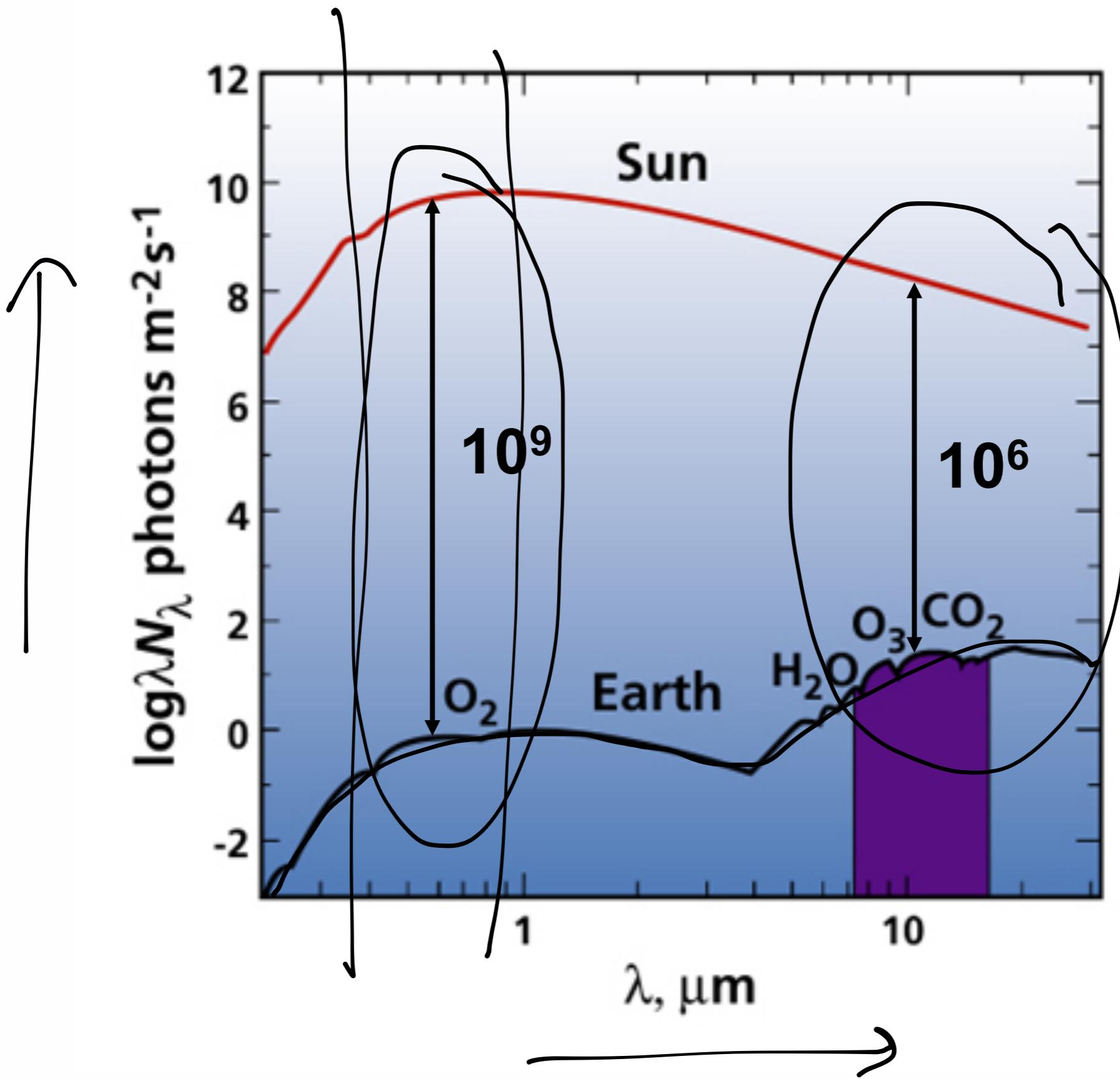
“There are countless suns and countless earths all rotating around their suns in exactly the same way as the seven planets of our system. We see only the suns because they are the largest bodies and are luminous, but their planets remain invisible to us because they are smaller and non-luminous. The countless worlds in the universe are no worse and no less inhabited than our Earth.”

- Giordano Bruno (1584)

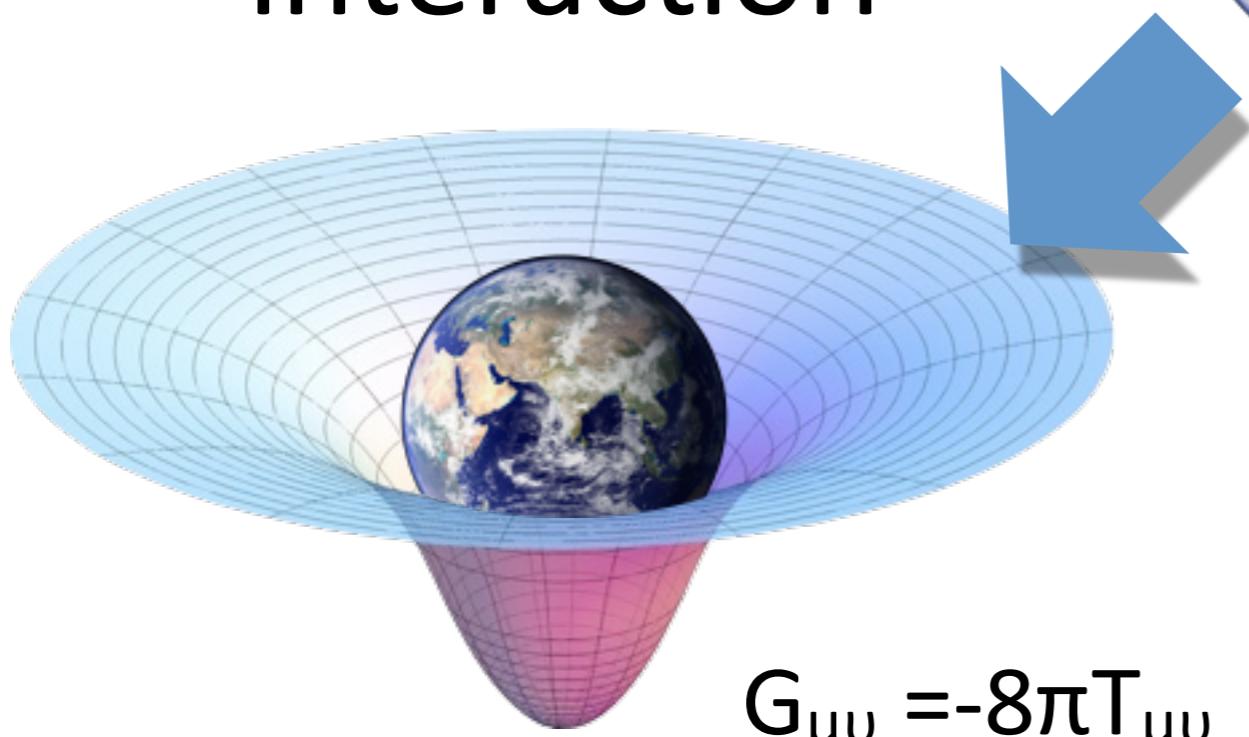
Significance of Extrasolar Planets

- New examples of different types of planets.
- Clues for how planets form.
- How special/common is our Earth?
- Start of search for life beyond the solar system.

Finding planets is *hard*



Gravitational interaction



$$G_{\mu\nu} = -8\pi T_{\mu\nu}$$

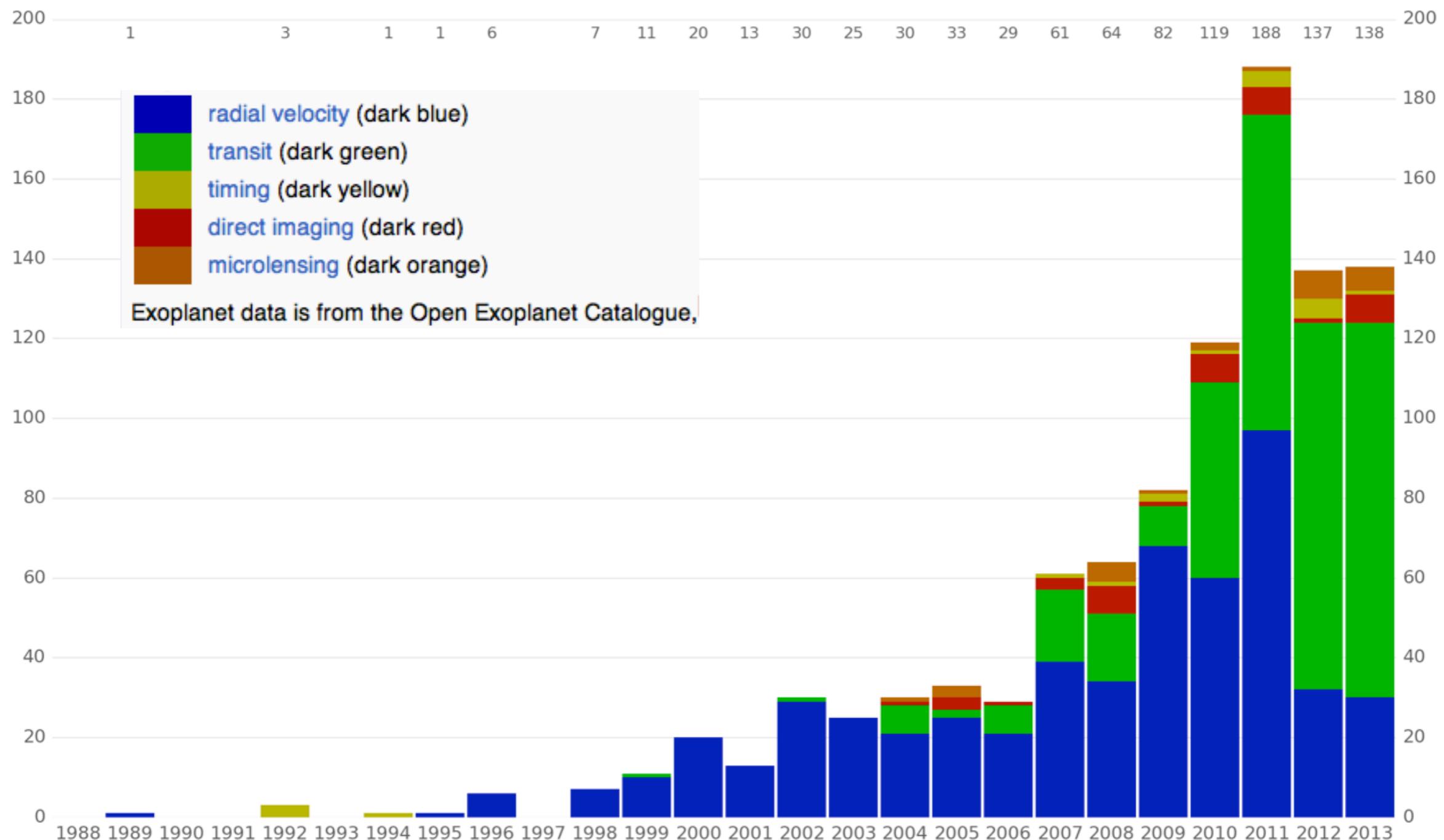
- Radial velocity
- Astrometry
- Microlensing
- Timing

Electromagnetic interaction



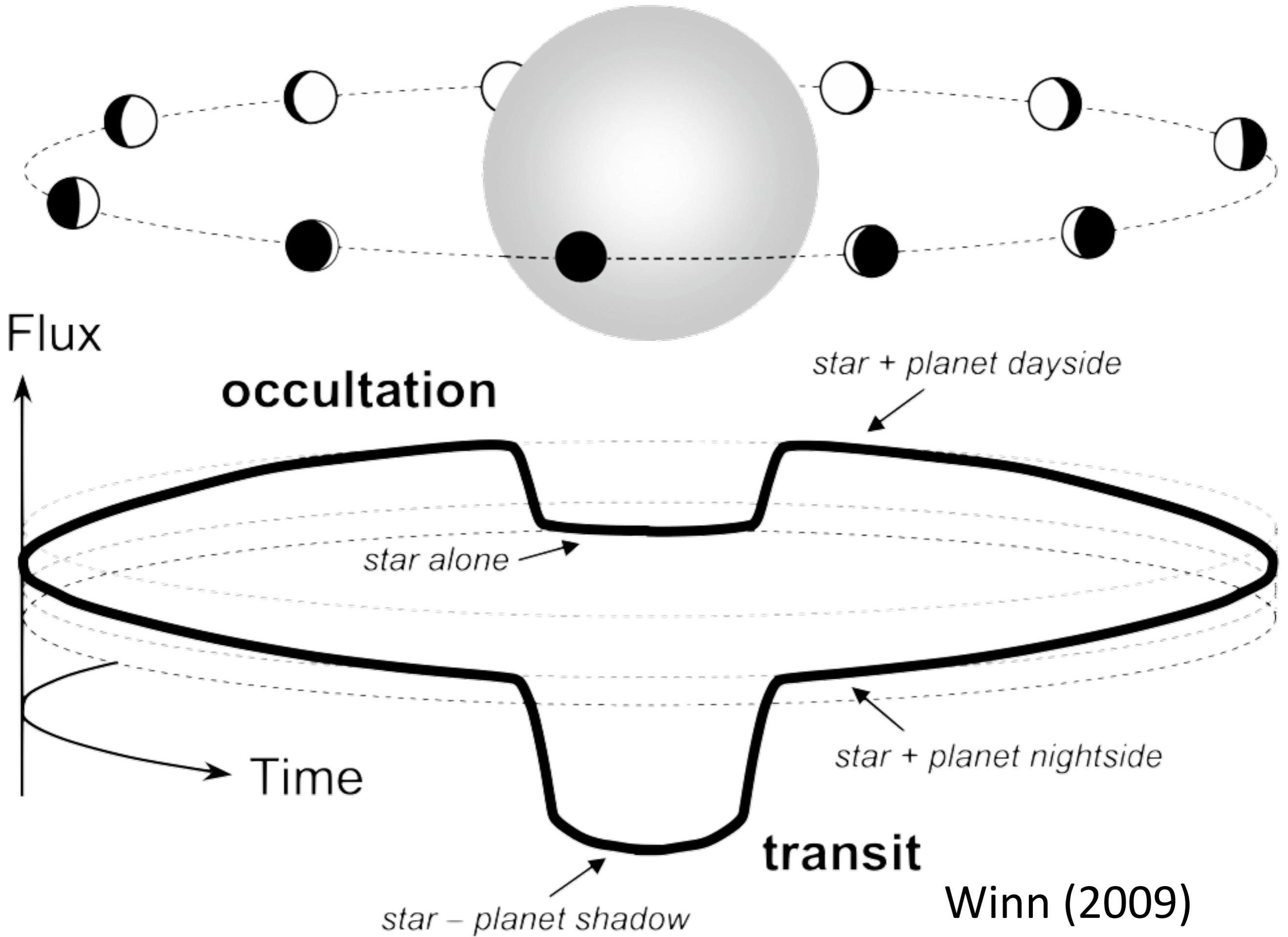
- Transit
- Secondary eclipse
- Imaging

Growth of exoplanet discoveries

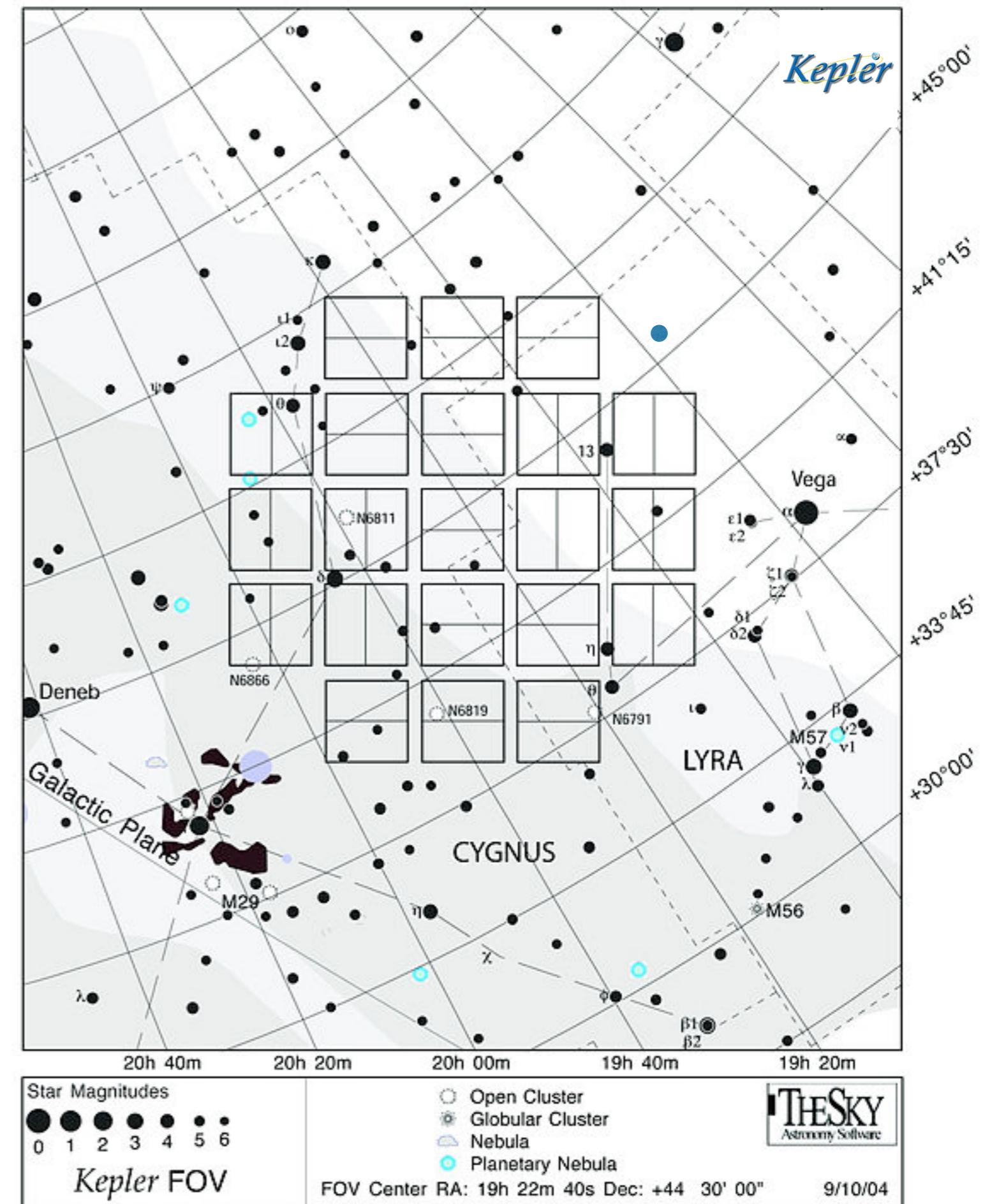
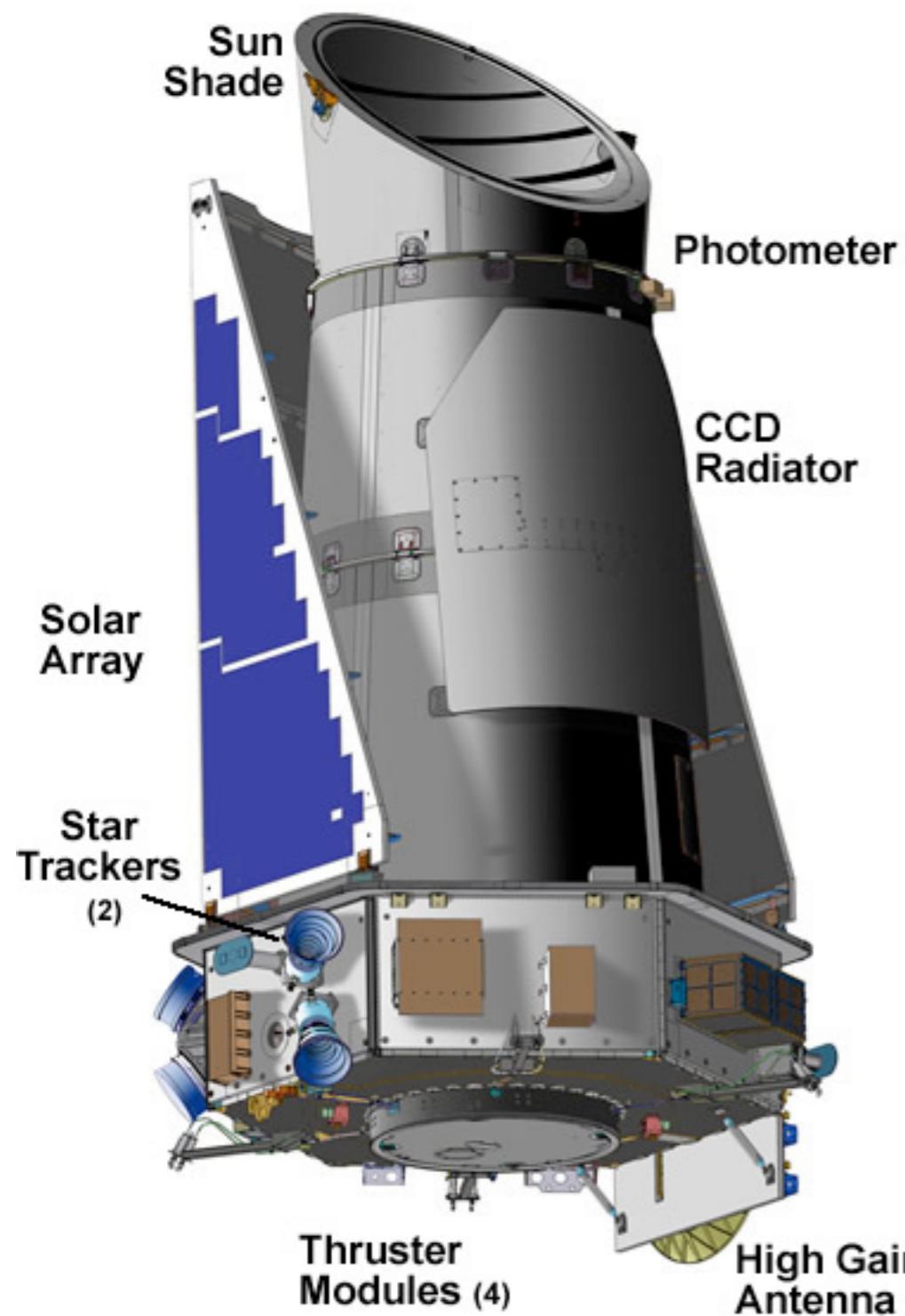


Transit of Venus

Text

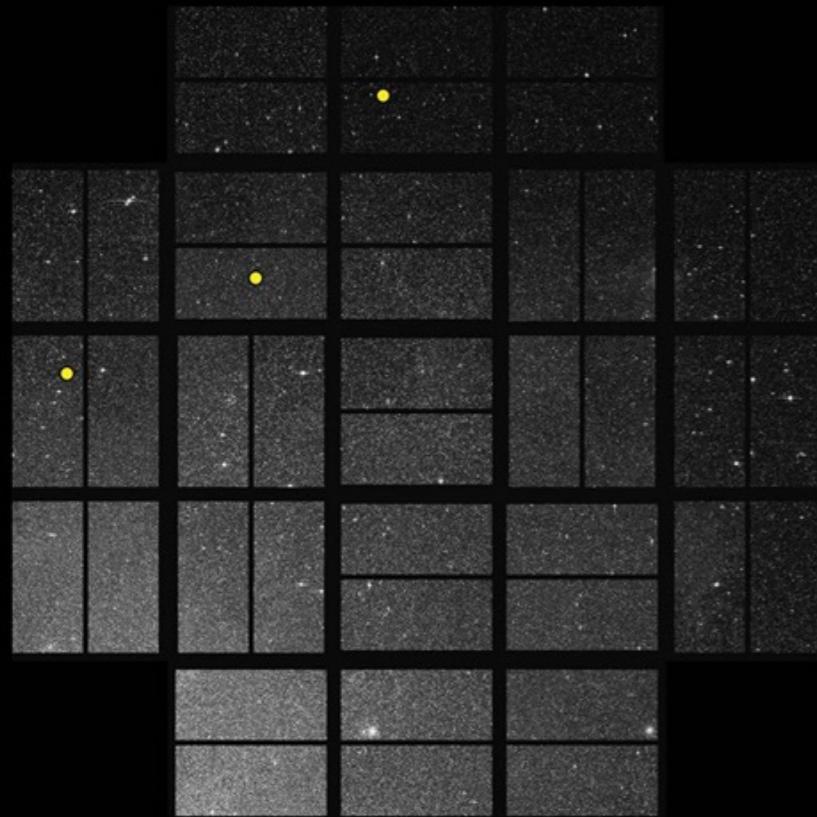


Kepler spacecraft

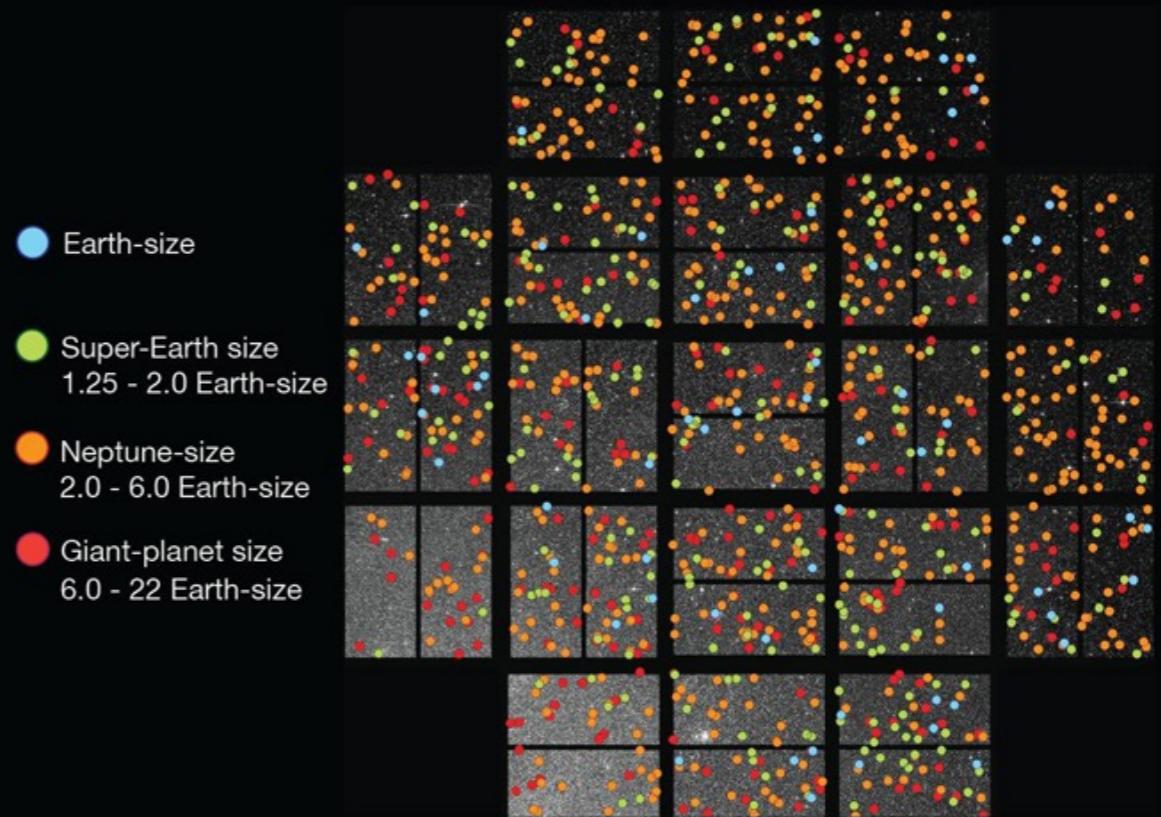


Kepler discoveries

Pre-Kepler Planets in the Field of View

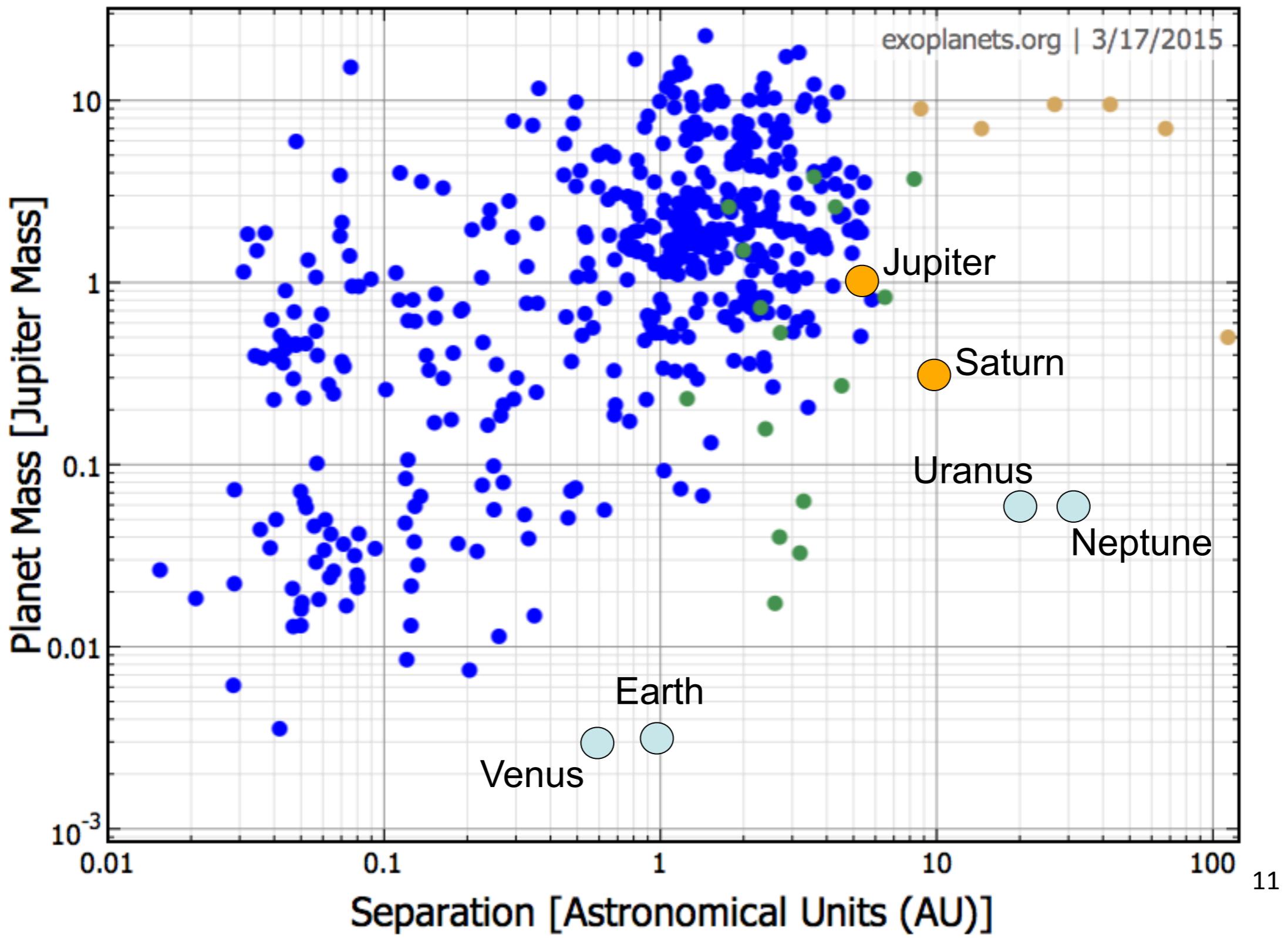


Locations of Kepler Planet Candidates

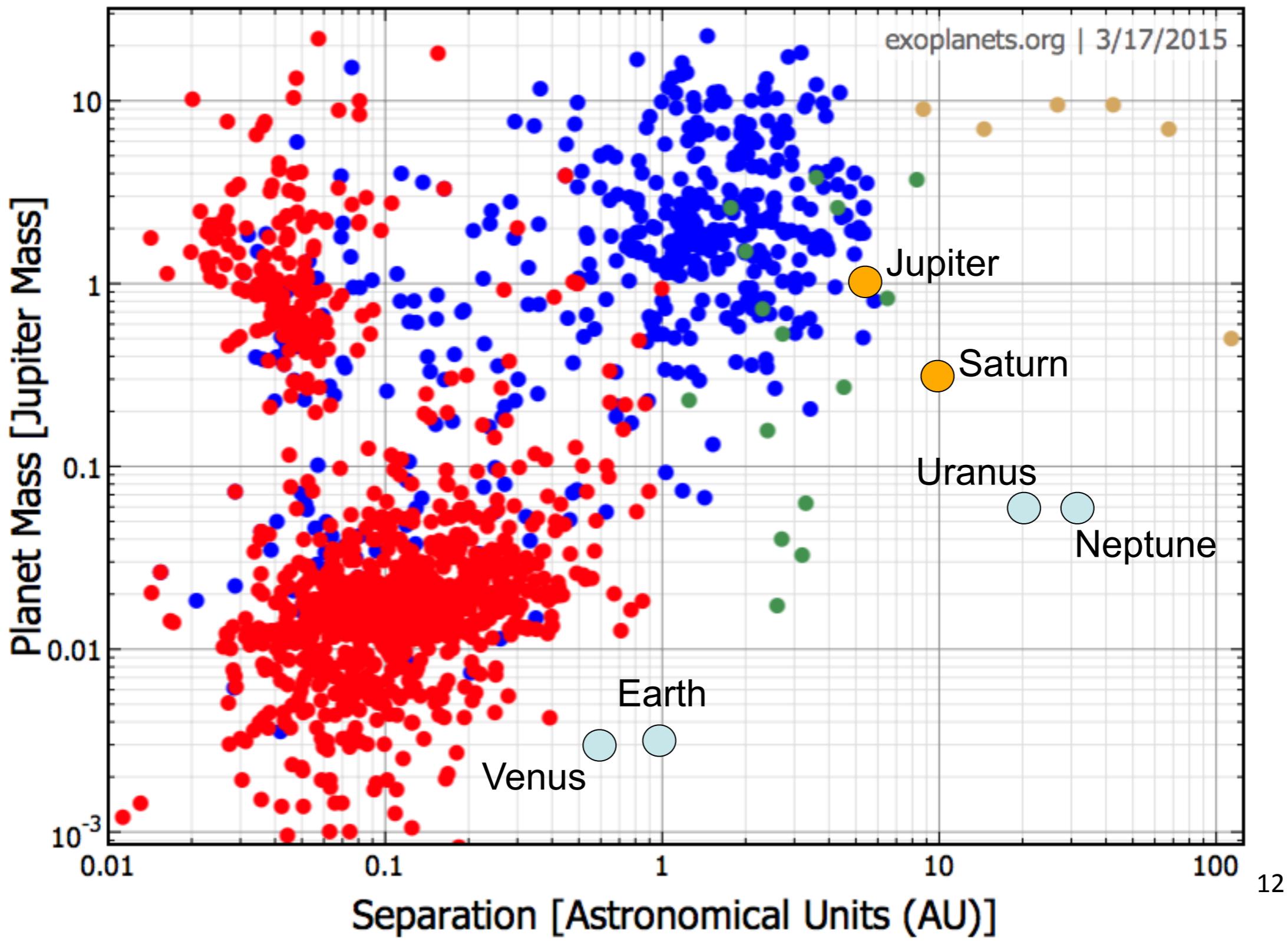


(Out of date!)

Planetary architectures

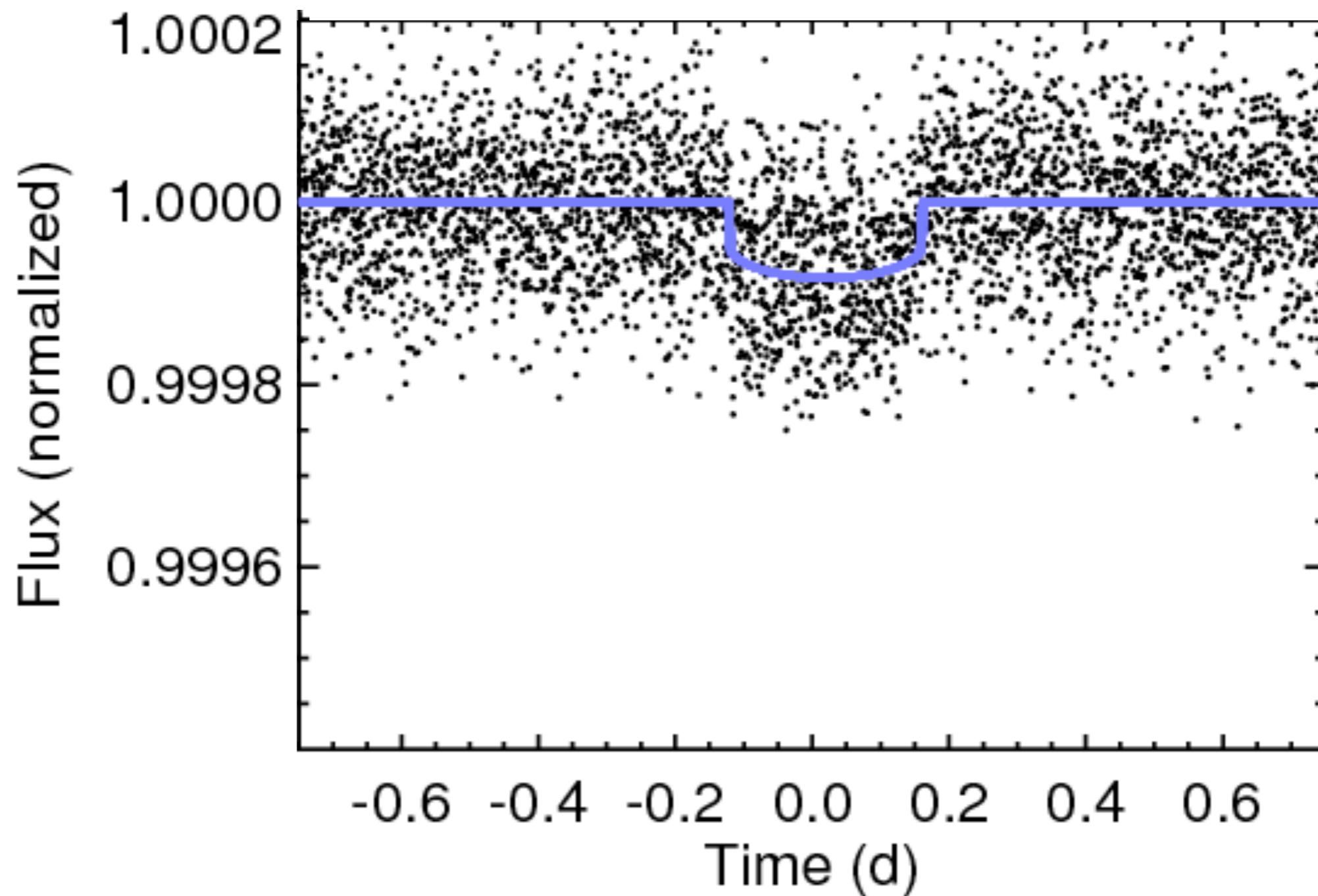


Planetary architectures



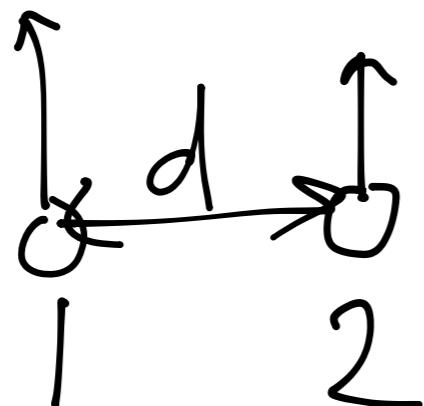
Survey of 150,000 stars from 2009-present

Example folded transit light curve:



Measuring mass with transit timing: what are super-Earths/mini-Neptunes made of?

X

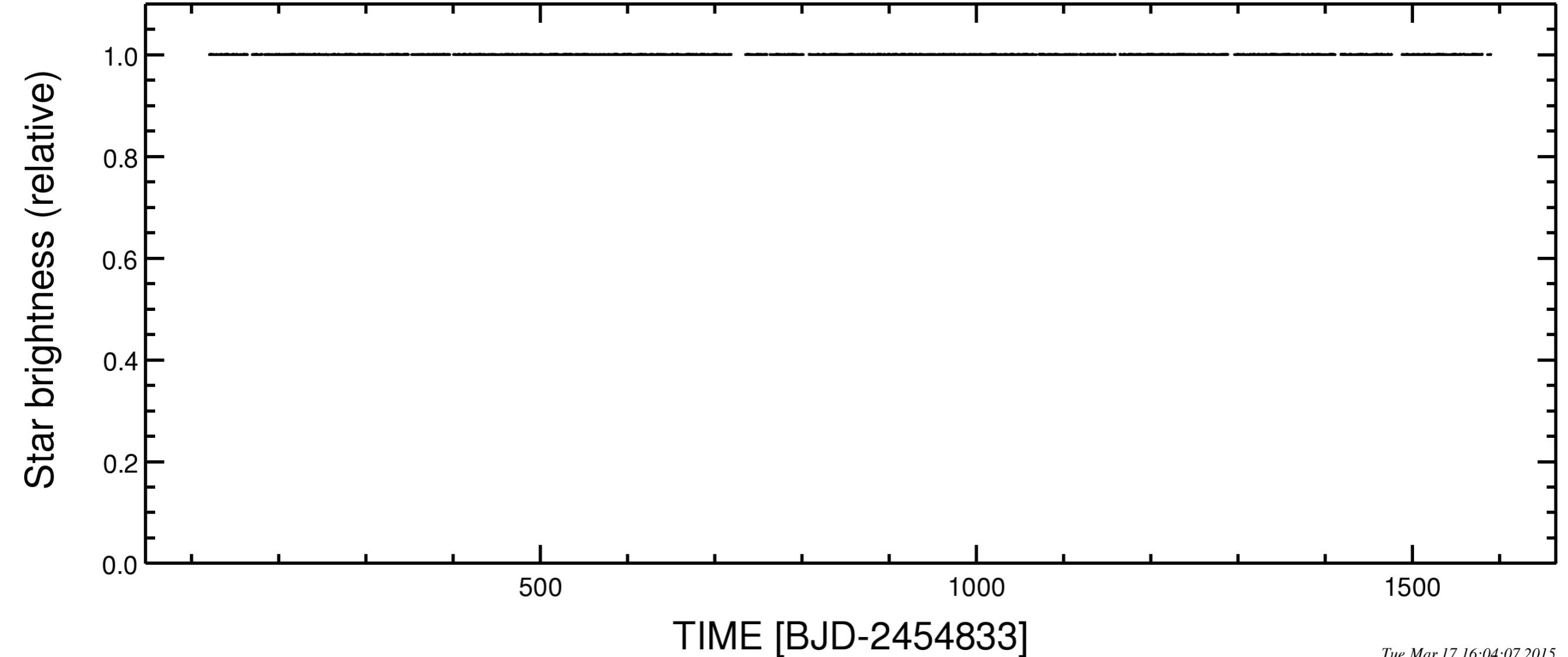


$$\begin{aligned} F_1 &= m_1 a_1 \\ F_1 &= \frac{G m_1 m_2}{d^2} \\ a_1 &= \frac{G M_2}{d^2} \end{aligned}$$

The diagram illustrates the derivation of the formula for the acceleration of object 1 due to the gravitational pull of object 2. It shows two objects, 1 and 2, with a distance d between them. The gravitational force F_1 on object 1 is given by $F_1 = m_1 a_1$. This force is also equal to the gravitational force exerted by object 2 on object 1, given by $F_1 = \frac{G m_1 m_2}{d^2}$. Therefore, the acceleration a_1 of object 1 is proportional to the mass of object 2 and inversely proportional to the square of the distance d , resulting in the formula $a_1 = \frac{G M_2}{d^2}$.

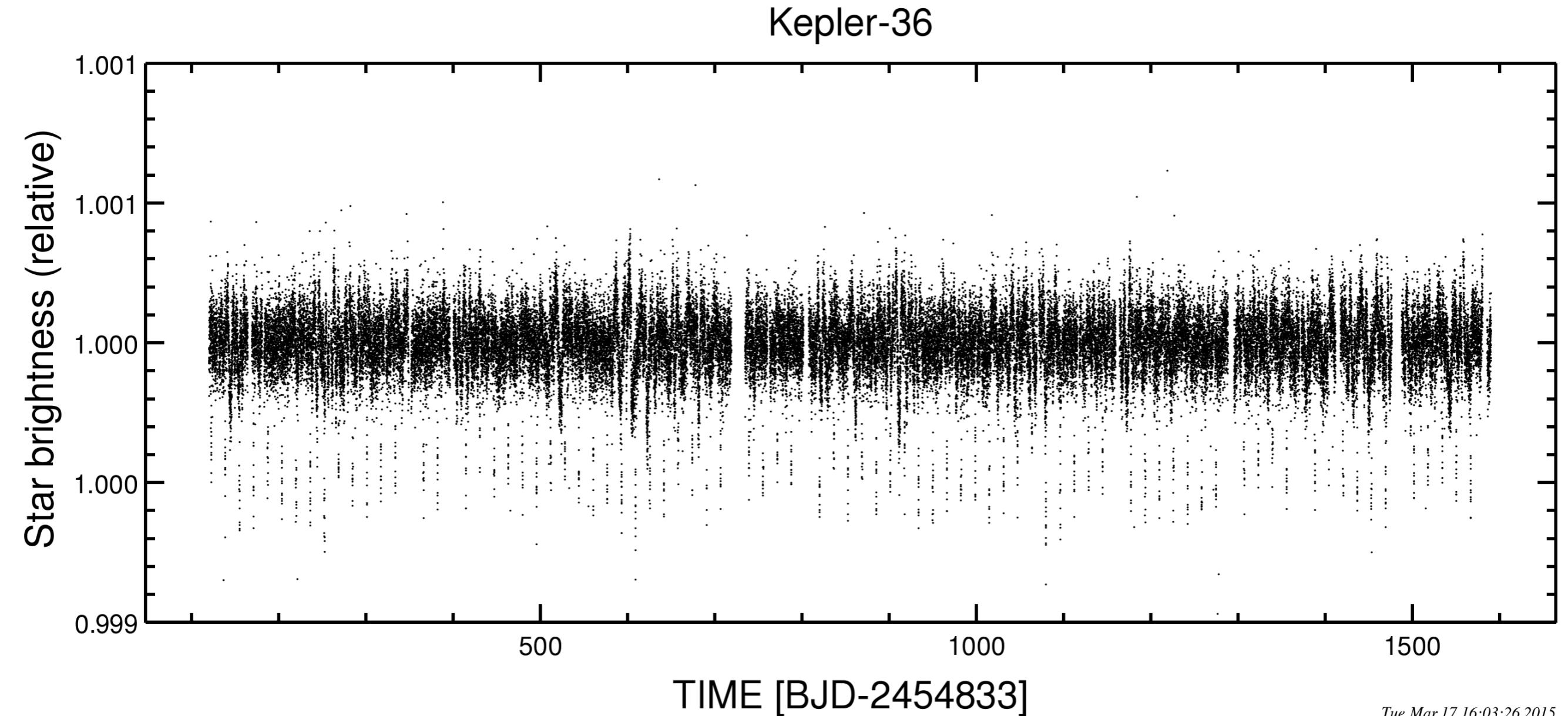
Kepler-36c: a quasi-periodic Neptune

Kepler-36



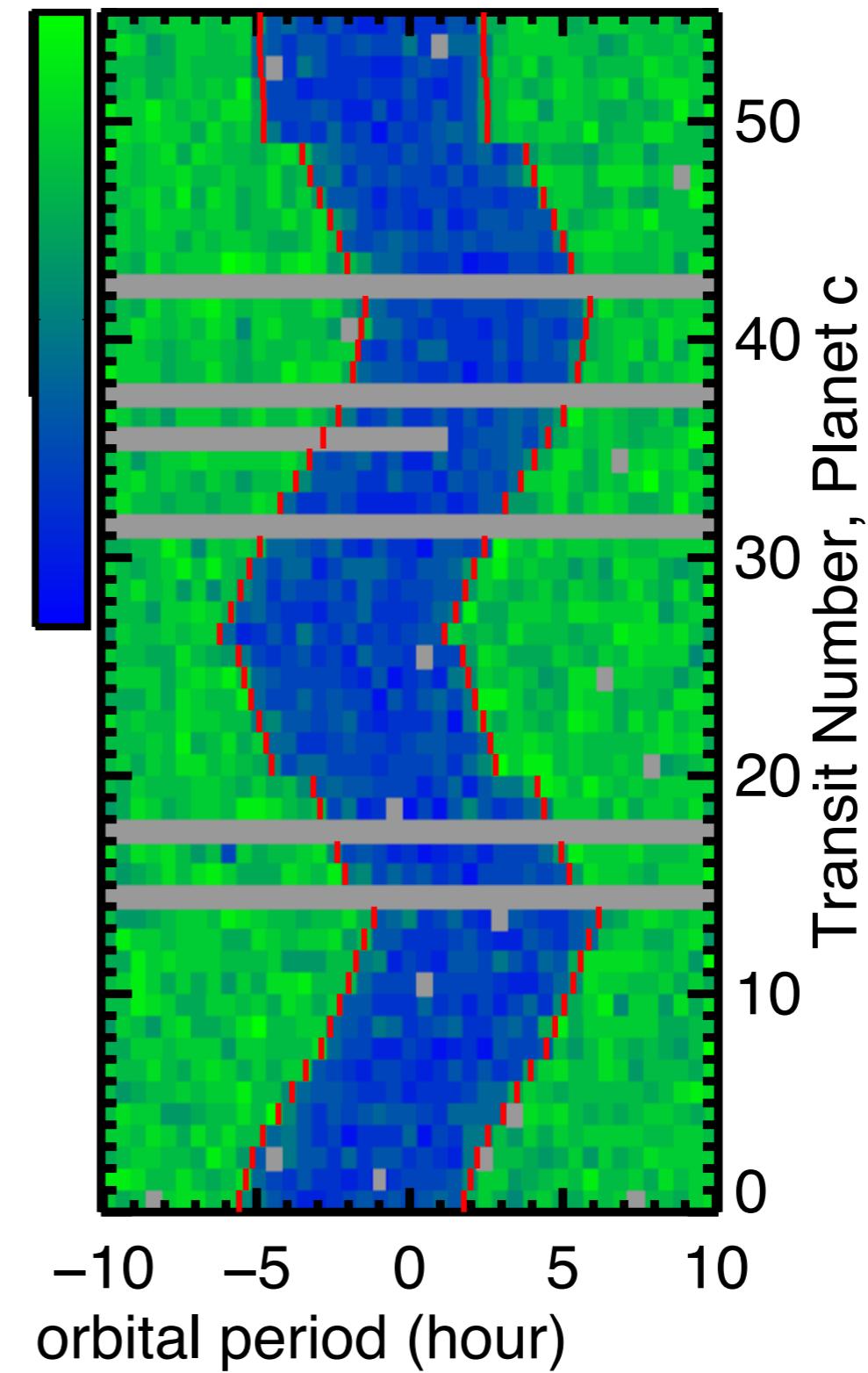
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Kepler-36c: a quasi-periodic Neptune

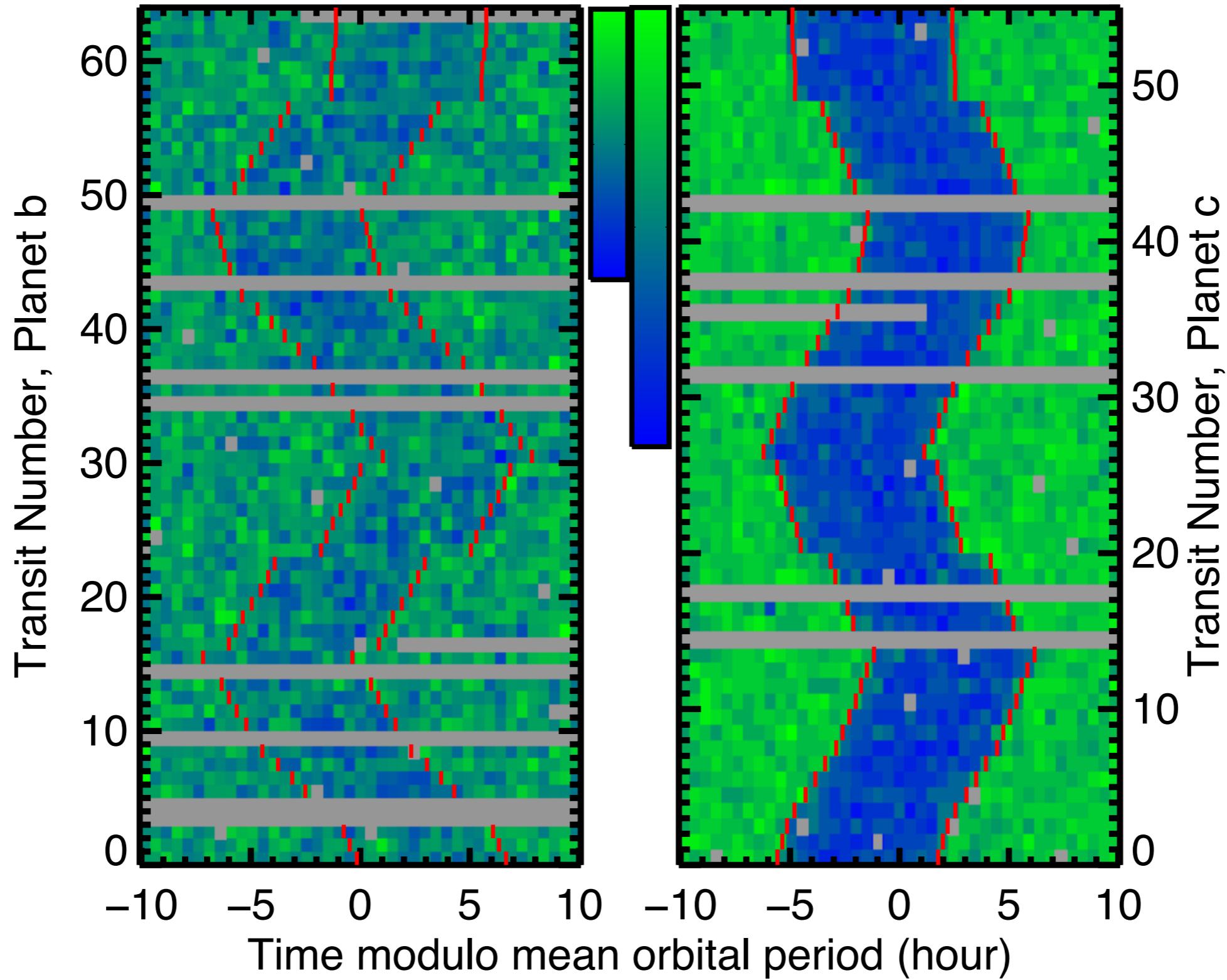


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Kepler-36c: a quasi-periodic Neptune

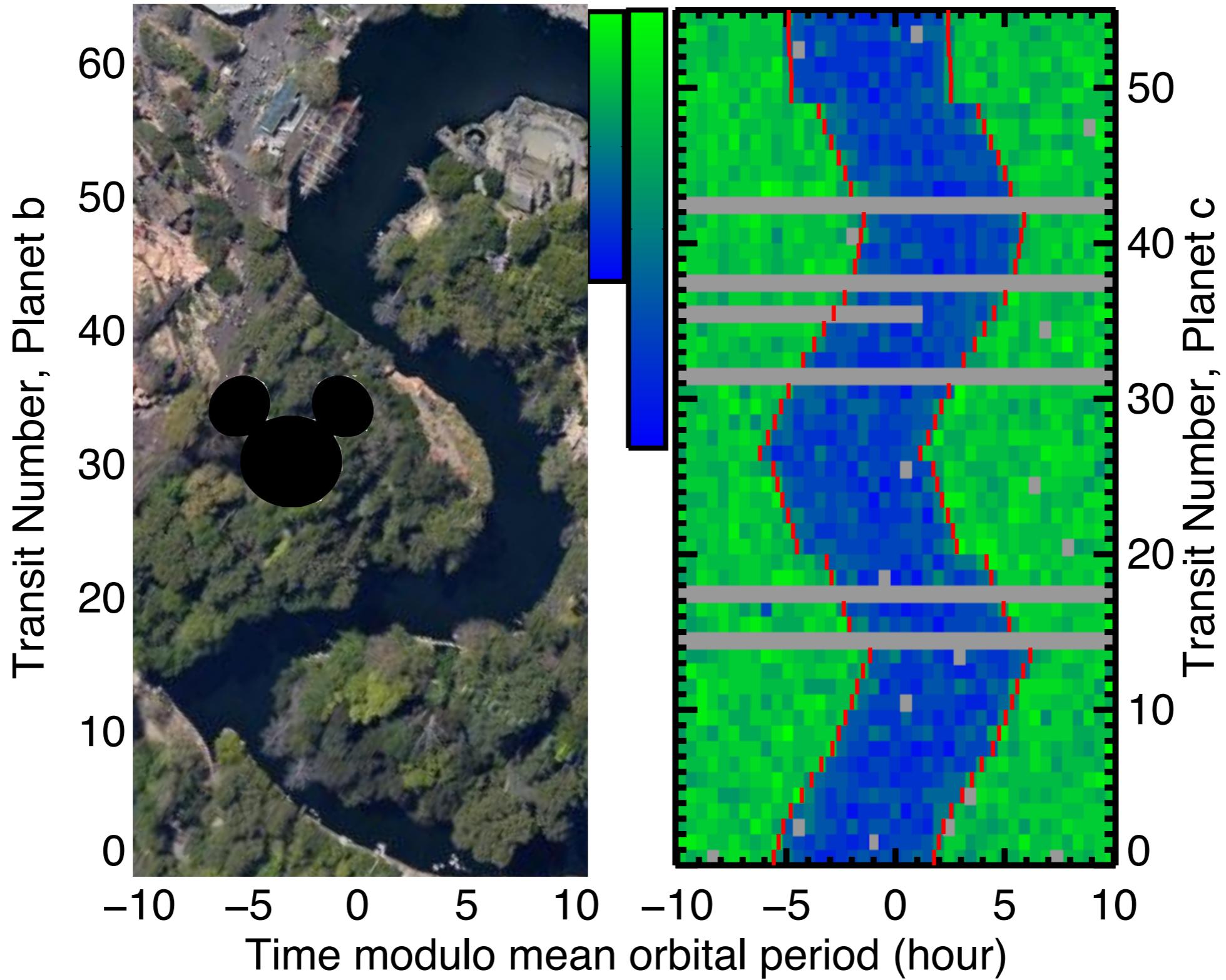


Kepler-36b,c: closest two orbiting planets

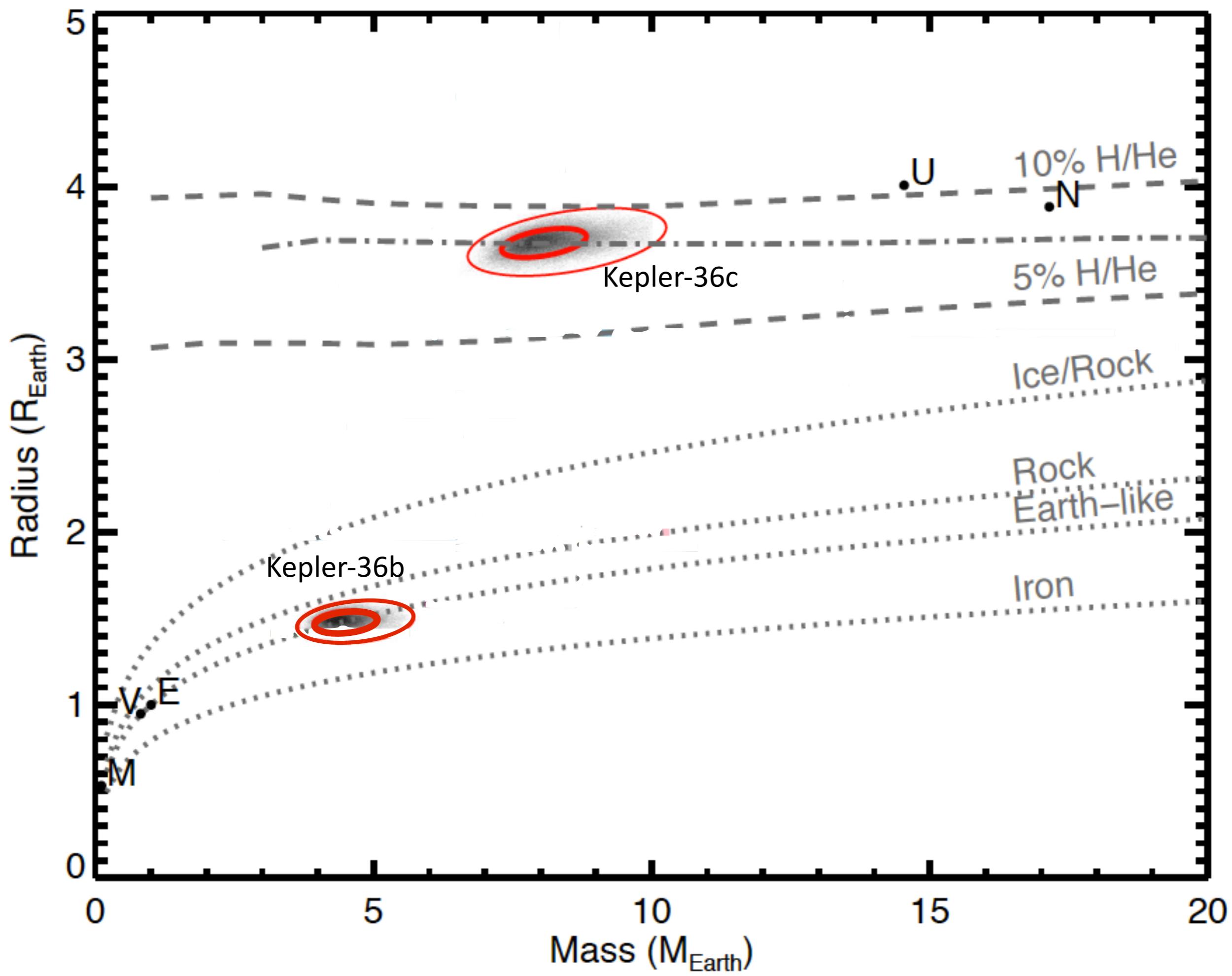


Carter, Agol et al. (2012)

Kepler-36b,c: closest two orbiting planets



Carter, Agol et al. (2012)







The Future

- More measurements of planet masses & radii from the Kepler data
- Ground-based: Keck, **LCOGT**, KOINet, Thirty-Meter Telescope (TMT)
- NASA planet missions: K2, Transiting Exoplanet Sky Survey (TESS), James Webb Space Telescope (JWST)
- Discovery/characterization of more ‘Earth-like’ planets

New Technology Changes the Cost Curve

